

编译 原理 课后题答案

第二章

P36-6

(1)

$L(G_1)$ 是 0~9 组成的数字串

(2)

最左推导：

N \square ND \square NDD \square NDDD \square DDDD \square 0DDD \square 01DD \square 012D \square 0127

N \square ND \square DD \square 3D \square 34

N \square ND \square NDD \square DDD \square 5DD \square 56D \square 568

最右推导：

N \square ND \square N7 \square ND7 \square N27 \square ND27 \square N127 \square D127 \square 0127

N \square ND \square N4 \square D4 \square 34

N \square ND \square N8 \square ND8 \square N68 \square D68 \square 568

P36-7

G(S)

O \square 1|3|5|7|9

N \square 2|4|6|8|O

D \square 0|N

S \square O|AO

A \square AD|N

P36-8

文法：

$$\begin{array}{l} E \square T | E \square T | E \square T \\ T \square F | T * F | T / F \\ F \square (E) i \end{array}$$

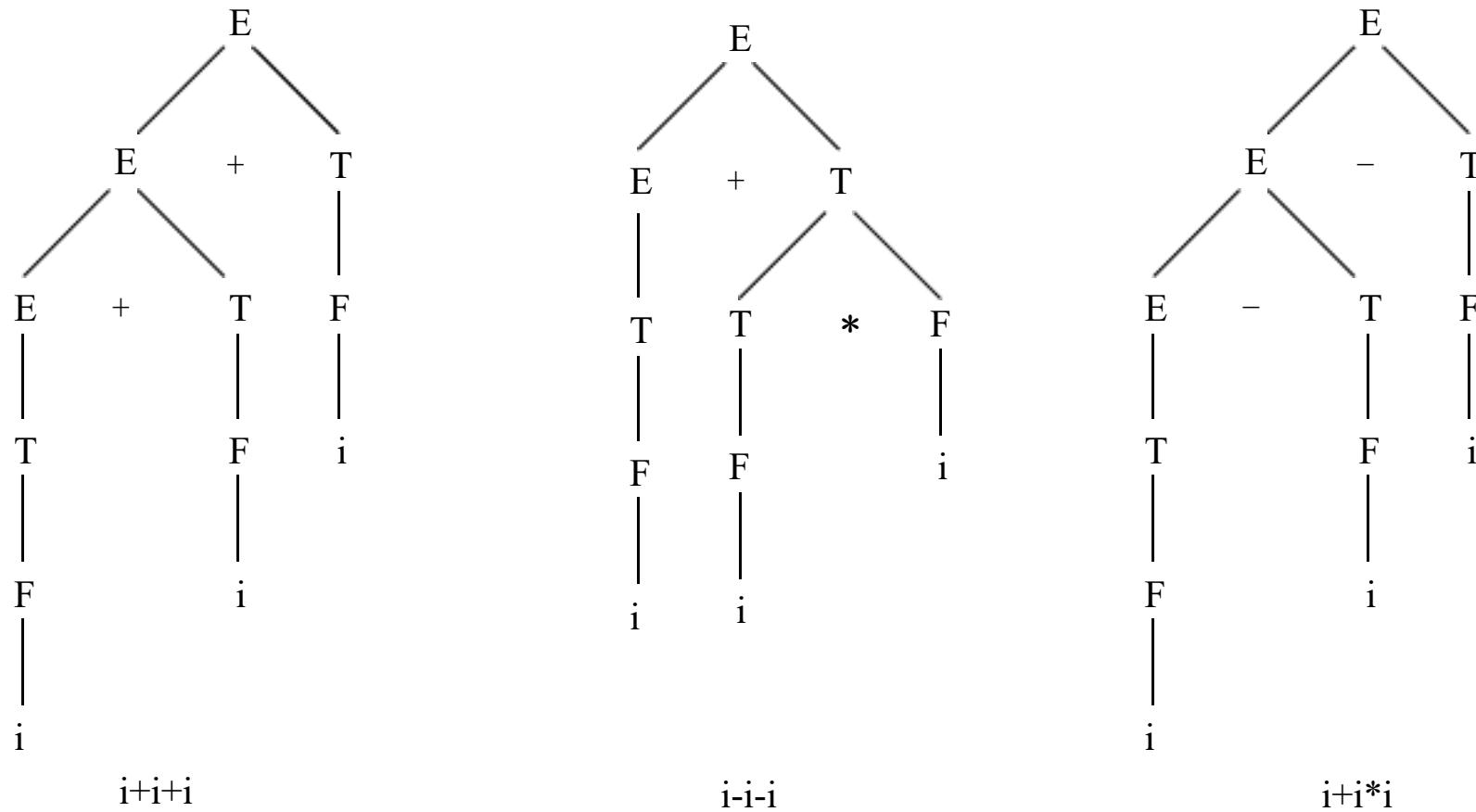
最左推导：

E \square E \square T \square T \square T \square F \square T \square i \square T \square i \square T * F \square i \square F * F \square i \square j * F \square i \square j * i
 E \square T \square T * F \square F * F \square i * F \square i * (E) \square i * (E \square T) \square i * (T \square T) \square i * (F \square T)
 \square i * (j \square T) \square i * (j \square F) \square i * (j \square j)

最右推导：

$E \square E \square T \square E \square T * F \square E \square T * i \square E \square F * i \square E \square i * i \square T \square i * i \square F \square i * i \square i \square i$
 $E \square T \square F * T \square F * F \square F * (E) \square F * (E \square T) \square F * (E \square F) \square F * (E \square i)$
 $\square F * (T \square i) \square F * (F \square i) \square F * (i \square i) \square i * (i \square i)$

语法树： /*****



*****/

P36-9

句子 $iiiei$ 有两个语法树：

$S \square iSeS \square iSei \square iiSei \square iiiei$
 $S \square iS \square iiSeS \square iiSei \square iiiei$

P36-10

/*****

$S \square TS \mid T$
 $T \square (S) \mid ()$

*****/

P36-11

/*****

L1:
 $S \square AC$
 $A \square aAb \mid ab$
 $C \square cC \mid \square$

L2:

S \square AB

A \square aA | \square

B \square bBc | bc

L3:

S \square AB

A \square aAb | \square

B \square aBb | \square

L4:

S \square A | B

A \square 0A1 | \square

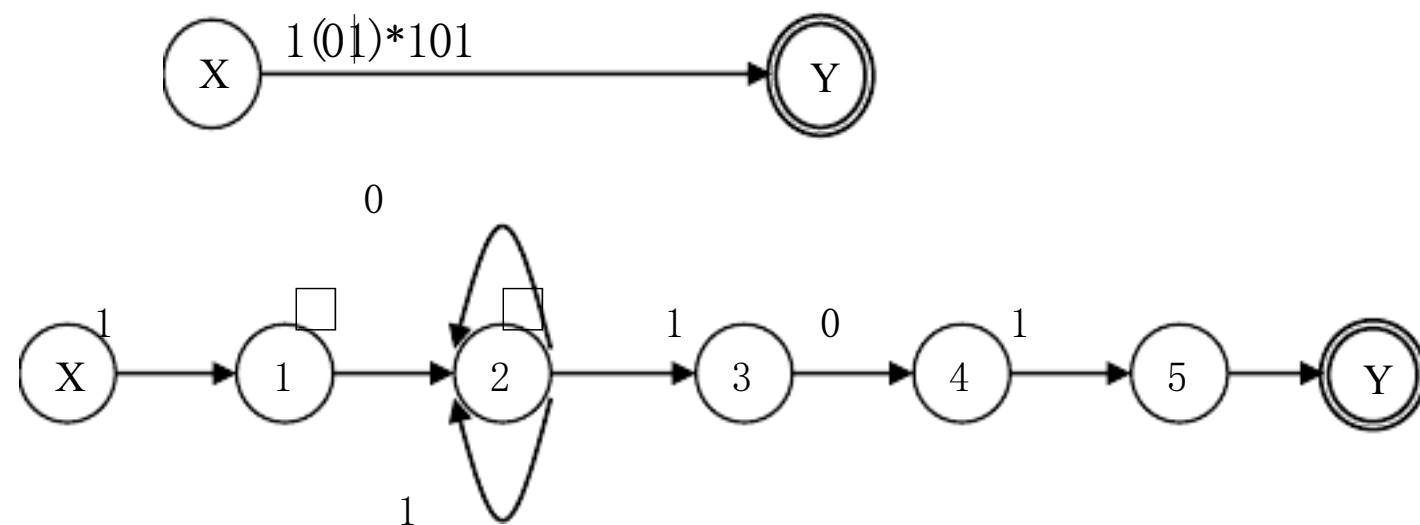
B \square 1B0 | A

******/

第三章习题参考答案

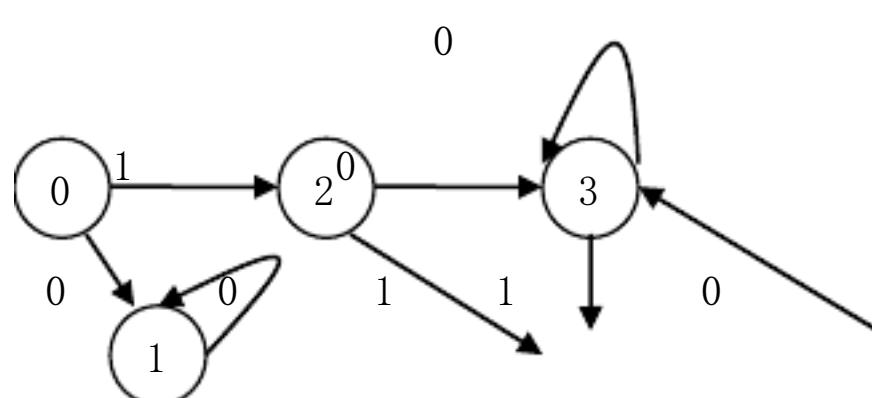
P64 -7

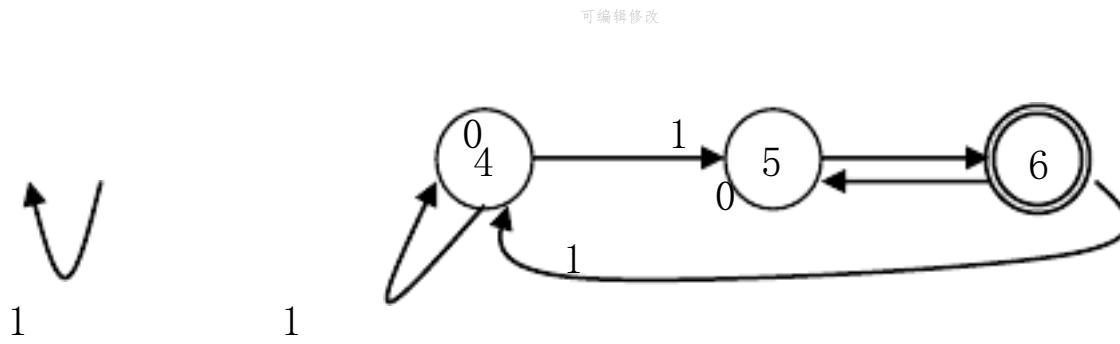
(1)



确定化:

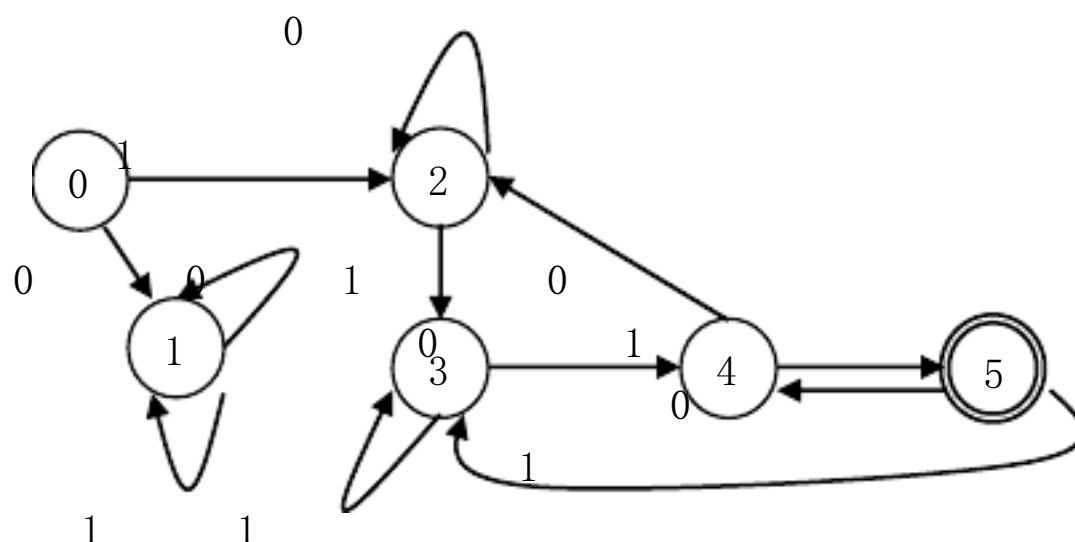
	0	1
{X}	\emptyset	{1, 2, 3}
\emptyset	\emptyset	\emptyset
{1, 2, 3}	{2, 3}	{2, 3, 4}
{2, 3}	{2, 3}	{2, 3, 4}
{2, 3, 4}	{2, 3, 5}	{2, 3, 4}
{2, 3, 5}	{2, 3}	{2, 3, 4, Y}
{2, 3, 4, Y}	{2, 3, 5}	{2, 3, 4, }





最小化:

$\{0,1,2,3,4,5\} \cup \{6\}$
 $\{0,1,2,3,4,5\} \setminus \{1,3,5\} = \{0,1,2,3,4,5\} \setminus \{1,2,4,6\}$
 $\{0,1,2,3,4\} \setminus \{5\} \cup \{6\}$
 $\{0,1,2,3,4\} \setminus \{1,3,5\}$
 $\{0,1,2,3\} \setminus \{4\} \cup \{5\} \cup \{6\}$
 $\{0,1,2,3\} \setminus \{1,3\} = \{0,1,2,3\} \setminus \{1,2,4\}$
 $\{0,1\} \setminus \{2,3\} \cup \{4\} \cup \{5\} \cup \{6\}$
 $\{0,1\} \setminus \{1\} = \{0,1\} \setminus \{1,2\}$
 $\{2,3\}^0 \cup \{3\} = \{2,3\}^1 \setminus \{4\}$
 $\{0\} \setminus \{1\} \cup \{2,3\} \cup \{4\} \cup \{5\} \cup \{6\}$



P64 -8

(1)

$(1|0)*01$

(2)

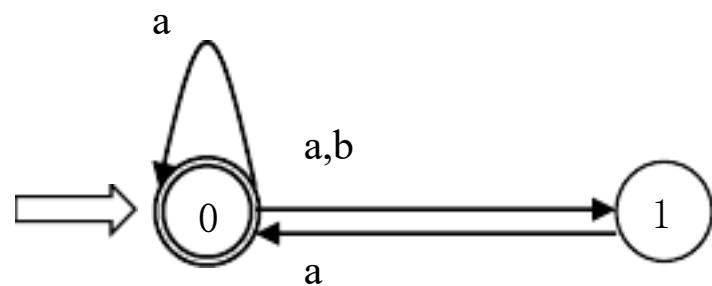
$(1|2|3|4|5|6|7|8|9)0|1|2|3|4|5|6|7|8|9)* (0|5)| (0|5)$

(3)

$0*1(0|10*1)* | 1*0(0|10*1)*$

P64 -12

(a)

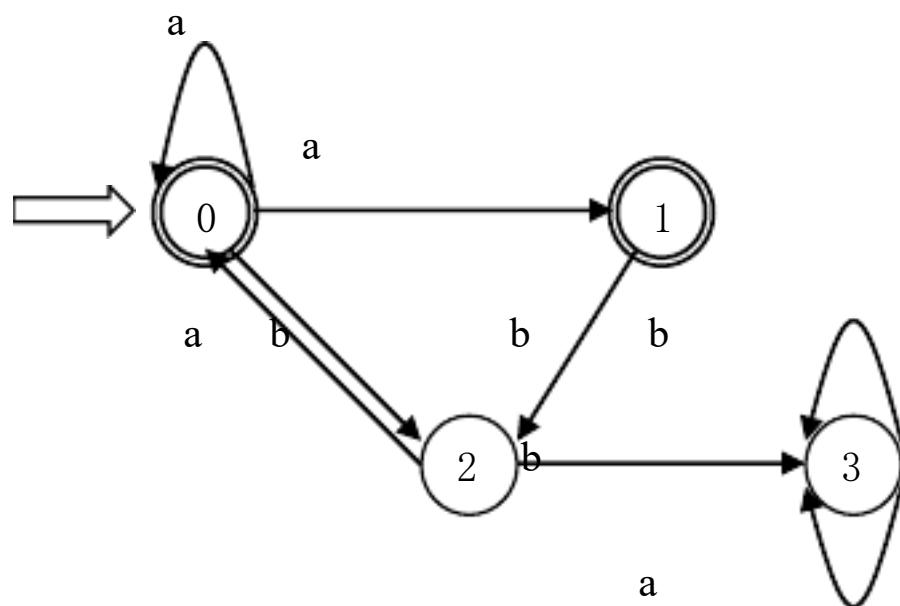


确定化:

	a	b
{0}	{0, 1}	{1}
{0, 1}	{0, 1}	{1}
{1}	{0}	\emptyset
\emptyset	\emptyset	\emptyset

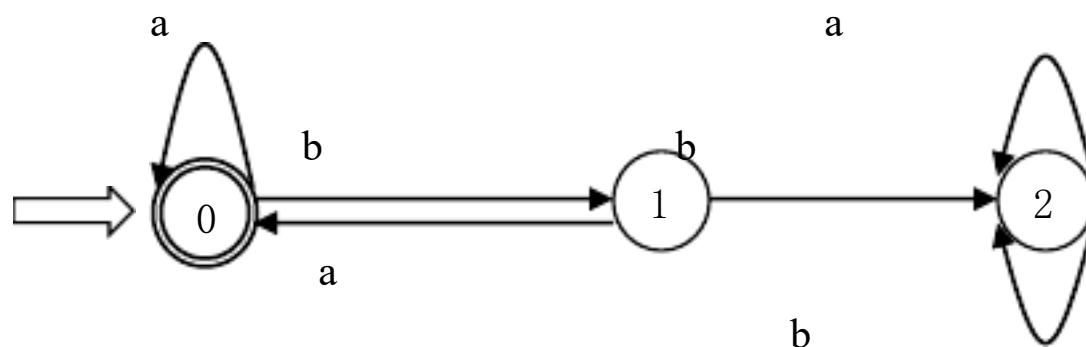
给状态编号:

	a	b
0	1	2
1	1	2
2	0	3
3	3	3

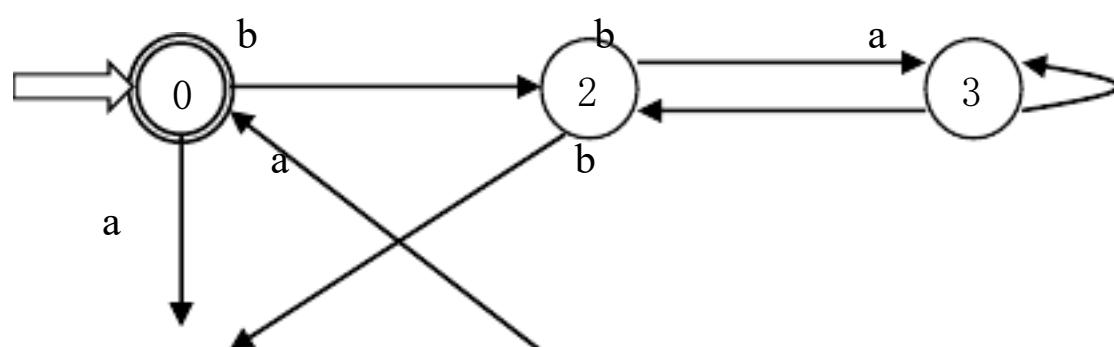


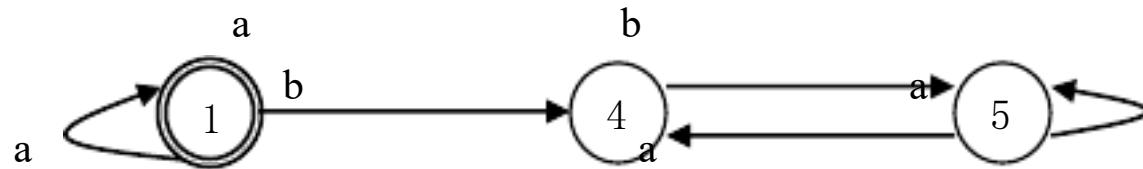
最小化:

$\{0,1\}, \{2,3\}$
 $\{0,1\} \square \{1\} \quad \{0,1\} \square \{2\}$
 $\{2,3\}^a \square \{0,3\} \quad \{2,3\}_b \square \{3\}$
 $\{0,1\}^a \{2\}, \{3\}$



(b)





已经确定化了,进行最小化

最小化:

$$\{\{0,1\}, \{2,3,4,5\}\}$$

$$\{0,1\} \xrightarrow[a]{a} \square\{1\} \quad \{0,1\} \xrightarrow[b]{b} \square\{2,4\}$$

$$\{2,3,4,5\} \xrightarrow[a]{a} \square\{1,3,0,5\} \quad \{2,3,4,5\} \xrightarrow[b]{b} \square\{2,3,4,5\}$$

$$\{2,4\} \xrightarrow[a]{a} \square\{1,0\} \quad \{2,4\} \xrightarrow[b]{b} \square\{3,5\}$$

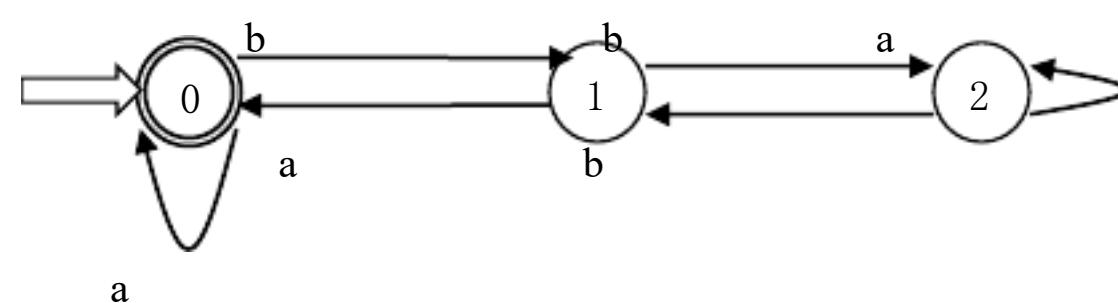
$$\{3,5\} \xrightarrow[a]{a} \square\{3,5\} \quad \{3,5\} \xrightarrow[b]{b} \square\{2,4\}$$

$$\{\{0,1\}, \{2,4\}, \{3,5\}\}$$

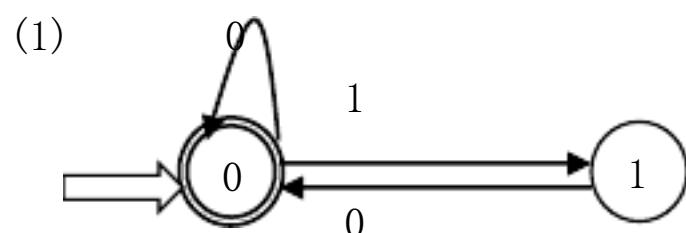
$$\{0,1\} \xrightarrow[a]{a} \square\{1\} \quad \{0,1\} \xrightarrow[b]{b} \square\{2,4\}$$

$$\{2,4\} \xrightarrow[a]{a} \square\{1,0\} \quad \{2,4\} \xrightarrow[b]{b} \square\{3,5\}$$

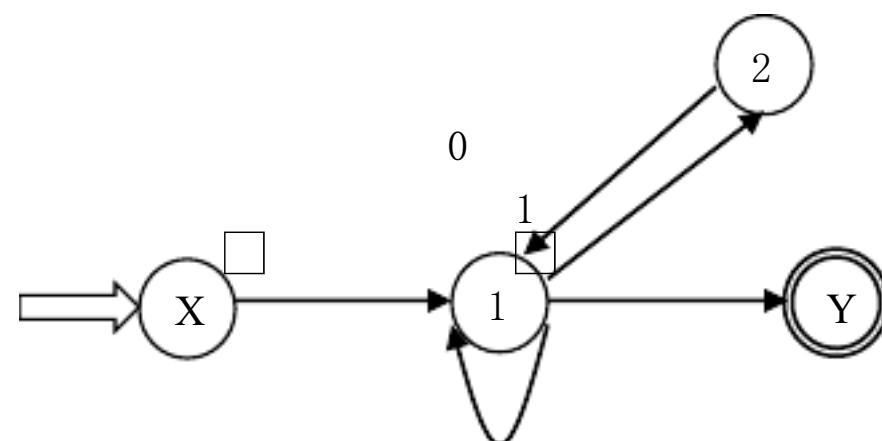
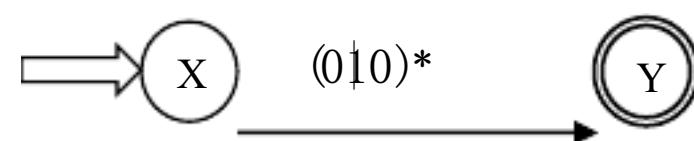
$$\{3,5\} \xrightarrow[a]{a} \square\{3,5\} \quad \{3,5\} \xrightarrow[b]{b} \square\{2,4\}$$



P64 -14



(2) :



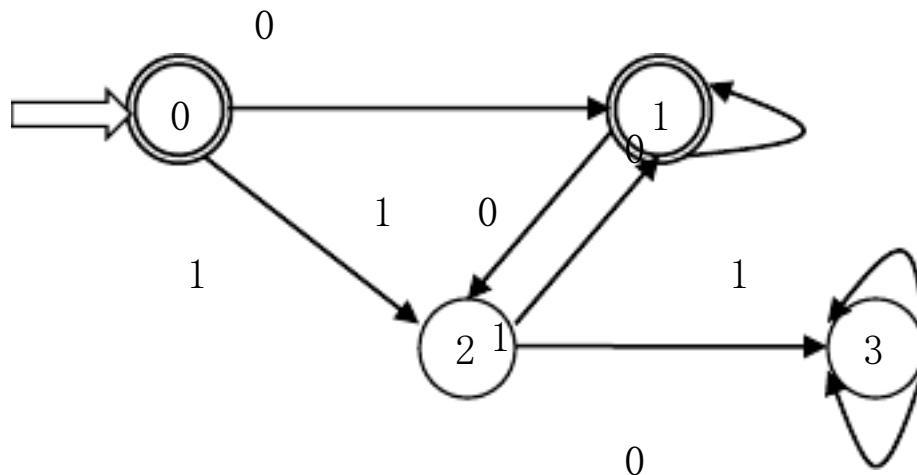
0

确定化:

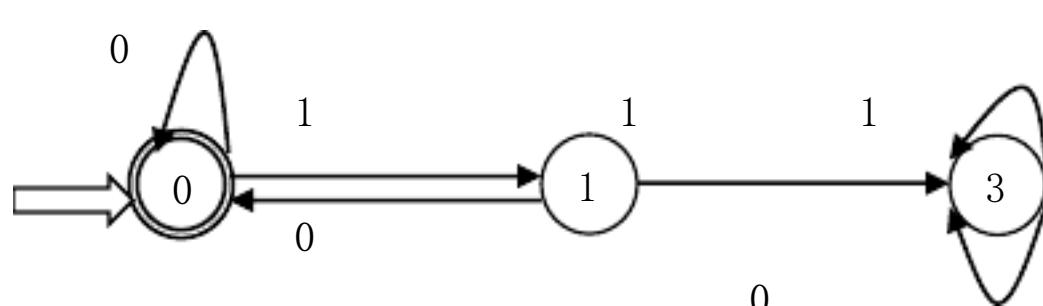
	0	1
{X,1,Y}	{1,Y}	{2}
{1,Y}	{1,Y}	{2}
{2}	{1,Y}	\emptyset
\emptyset	\emptyset	\emptyset

给状态编号:

	0	1
0	1	2
1	1	2
2	1	3
3	3	3



最小化:

 $\{0,1\}, \{2,3\}$ $\{0,1\} \square \{1\}$ $\{2,3\}^0 \square \{1,3\}$ $\{0,1\}^0, \{2\}, \{3\}$ $\{0,1\} \square \{2\}$ $\{2,3\}^1 \square \{3\}$ $\{0,1\}, \{2\}, \{3\}$ 

第四章

P81 -1

(1) 按照 T,S 的顺序消除左递归

G \square (\$)S \square a $|^\wedge|$ (T)T \square ST \square T \square \square , ST \square \square

递归子程序:

```

procedure S;
begin
  if sym='a' or sym='^'
    then advance
  else if sym='('
    then begin
      advance;T;
      if sym=')' then advance;
      else error;
    end
  else  error
end;
procedure T;
begin
  S;T□
end;
procedure T□;
begin
  if sym=','
    then begin
      advance;
      S;T□
    end
  end;

```

其中：

sym:是输入串指针 IP 所指的符号
 advance:是把 IP 调至下一个输入符号
 error:是出错诊察程序

(2)

$\text{FIRST}(S)=\{\text{a}, \wedge, ()\}$
 $\text{FIRST}(T)=\{\text{a}, \wedge, ()\}$
 $\text{FIRST}(T□)=\{, \}$
 $\text{FOLLOW}(S)=\{\}, \#, \}$
 $\text{FOLLOW}(T)=\{\}\}$
 $\text{FOLLOW}(T□)=\{\}\}$

预测分析表

	a	\wedge	()	,	#
S	$S \square a$	$S \square \wedge$	$S \square (T)$			
T	$T \square ST \square$	$T \square ST \square$	$T \square ST \square$			
$T \square$				$T \square \square \square$	$T \square \square \square, ST \square$	

是 LL(1)文法

P81 -2

文法：

$E \square TE \square$

$E \square \square E | \square$

$T \square FT \square$

$T \square \square T | \square$

$F \square PF \square$

$F \square \square *F \square \square$

$P \square (E) | a | b | ^$

(1)

$\text{FIRST}(E)=\{(, a, b, ^\wedge\}$

$\text{FIRST}(E')=\{+, \varepsilon\}$

$\text{FIRST}(T)=\{(, a, b, ^\wedge\}$

$\text{FIRST}(T')=\{(, a, b, ^\wedge, \varepsilon\}$

$\text{FIRST}(F)=\{(, a, b, ^\wedge\}$

$\text{FIRST}(F')=\{\ast, \varepsilon\}$

$\text{FIRST}(P)=\{(, a, b, ^\wedge\}$

$\text{FOLLOW}(E)=\{\#,)\}$

$\text{FOLLOW}(E')=\{\#,)\}$

$\text{FOLLOW}(T)=\{+,), \#\}$

$\text{FOLLOW}(T')=\{+,), \#\}$

$\text{FOLLOW}(F)=\{(, a, b, ^\wedge, +,), \#\}$

$\text{FOLLOW}(F')=\{(, a, b, ^\wedge, +,), \#\}$

$\text{FOLLOW}(P)=\{\ast, (, a, b, ^\wedge, +,), \#\}$

(2)

考虑下列产生式：

$E \square \square \square E | \square$

$T \square \square \square T | \square$

$F \square \square \square *F \square \square \square$

$P \square (E) | ^a | b$

$\text{FIRST}(+E) \cap \text{FIRST}(\varepsilon) = \{+\} \cap \{\varepsilon\} = \emptyset$

$\text{FIRST}(+E) \cap \text{FOLLOW}(E') = \{+\} \cap \{\#,)\} = \emptyset$

$\text{FIRST}(T) \cap \text{FIRST}(\varepsilon) = \{(, a, b, ^\wedge\} \cap \{\varepsilon\} = \emptyset$

$\text{FIRST}(T) \cap \text{FOLLOW}(T') = \{(, a, b, ^\wedge\} \cap \{+,), \#\} = \emptyset$

$\text{FIRST}(*F') \cap \text{FIRST}(\varepsilon) = \{\ast\} \cap \{\varepsilon\} = \emptyset$

$\text{FIRST}(*F') \cap \text{FOLLOW}(F') = \{\ast\} \cap \{(, a, b, ^\wedge, +,), \#\} = \emptyset$

$\text{FIRST}((E)) \cap \text{FIRST}(a) \cap \text{FIRST}(b) \cap \text{FIRST}(^\wedge) = \emptyset$

所以，该文法是 LL(1) 文法。

(3)

	+	*	()	a	b	$^\wedge$	#
E			$E \square TE$		$E \square TE$	$E \square TE$	$E \square TE$	
E'	$E \square \square \square E$			$E \square \square \square$				$E \square \square \square$
T			$T \square FT$		$T \square FT$	$T \square FT$	$T \square FT$	

--	--	--	--	--	--	--	--	--

	$\square \square$		T $\square \square$ T	T $\square \square$ \square	T $\square \square$ T	T $\square \square$ T	T $\square \square$ T	T $\square \square$ \square
F			F \square PF \square		F \square PF \square	F \square PF \square	F \square PF \square	
F'	F $\square \square$ \square	F $\square \square$ *F \square	F $\square \square$ \square					
P			P \square (E)		P \square a	P \square b	P \square ^	

(4)

```

procedure E;
begin
  if sym='(' or sym='a' or sym='b' or sym='^'
    then begin T; E' end
    else error
  end
procedure E';
begin
  if sym='+' 
    then begin advance; E end
    else if sym<>')' and sym<> '#' then error
  end
procedure T;
begin
  if sym='(' or sym='a' or sym='b' or sym='^'
    then begin F; T' end
    else error
  end
procedure T';
begin
  if sym='(' or sym='a' or sym='b' or sym='^'
    then T
    else if sym='*' then error
  end
procedure F;
begin
  if sym='(' or sym='a' or sym='b' or sym='^'
    then begin P; F' end
    else error
  end
procedure F';
begin
  if sym='*' 
    then begin advance; F' end
  end
procedure P;

```

```

if sym='a' or sym='b' or sym='^'
    then advance
else if sym='(' then
begin
    advance; E;
    if sym=')' then advance
        else error
    end
else error
end;

```

3

```

/*************
(1)
(2) 不是，对于 A 不满足条件 3。
(3) 不是，A、B 均不满足条件 3。
(4) 是，满足三个条件。
******/

```

第五章

P133 -1

$E \sqsubseteq T \sqsubseteq E \sqsubseteq T * F$

短语: $E+T*F, T*F,$

直接短语: $T*F$

句柄: $T*F$

P133 -2

文法:

$$\begin{array}{l} S \sqsubseteq a \mid \wedge \mid T \\ T \sqsubseteq T, S \mid S \end{array}$$

(1)

最左推导:

$$\begin{aligned} S &\sqsubseteq (T) \sqsubseteq (T, S) \sqsubseteq (S, S) \sqsubseteq (a, S) \sqsubseteq (a, T) \sqsubseteq (a, T, S) \sqsubseteq (a, \$, S) \sqsubseteq (a, \wedge, S) \sqsubseteq (a, \wedge, a) \\ S &\sqsubseteq (T, S) \sqsubseteq (S, S) \sqsubseteq (\wedge, S) \sqsubseteq (\wedge, T, S) \sqsubseteq (\wedge, T, S, S) \sqsubseteq (\wedge, \$, S, S) \sqsubseteq ((\wedge, T), S, S) \\ &\sqsubseteq ((\wedge, T, S), S) \sqsubseteq ((\wedge, \$, S), S) \sqsubseteq ((\wedge, \wedge, S), S) \sqsubseteq ((\wedge, a), S, S) \\ &\sqsubseteq ((\wedge, a), \wedge, S) \sqsubseteq ((\wedge, a), \wedge, T) \sqsubseteq ((\wedge, a), \wedge, \$) \sqsubseteq ((\wedge, a), \wedge, \wedge) \\ &\sqsubseteq ((\wedge, a), \wedge, a) \end{aligned}$$

最右推导:

$T \square (T, S) \square (T, \underline{T}) \square (T, \underline{T}, S) \square (T, \underline{T}, a) \square (T, \$, a) \square (T, \underline{a}, a)$
 $\square (S, \underline{a}, a) \square (a, \underline{a}, a)$
 $S \square (T, S) \square (T, a) \square (S, a) \square (\underline{T}, a) \square (\underline{T}, S, a) \square (\underline{T}, \underline{T}, a) \square (\underline{T}, \$, a)$
 $\square (\underline{T}, \underline{a}), a \square (\underline{T}, S, \underline{a}), a \square (\underline{T}, \hat{a}, \underline{a}), a \square (\underline{S}, \hat{a}, \underline{a}), a \square ((\underline{T}), \hat{a}, \underline{a}), a$
 $\square ((\underline{T}, S), \hat{a}, \underline{a}), a \square ((\underline{T}, a), \hat{a}, \underline{a}), a \square ((\$), a), \hat{a}, \underline{a}), a \square ((\underline{a}), \hat{a}, \underline{a}), a$

(2)

$((\underline{a}), \hat{a}, (a)), a$

$((\underline{S}), \hat{a}, (a)), a$

$((T, \underline{a}), \hat{a}, (a)), a$

$((\underline{T}, \underline{S}), \hat{a}, (a)), a$

$((\underline{T}), \hat{a}, (a)), a$

$(\underline{S}, \hat{a}, (a)), a$

$((T, \hat{a}, (a)), a)$

$((\underline{T}, \underline{S}, (a)), a)$

$((T, (a)), a)$

$((T, (\underline{S})), a)$

$((T, (\underline{T})), a)$

$((\underline{T}, S), a)$

$((T), a)$

(\underline{S}, a)

(\underline{T}, S)

\underline{T}

S

“归约”过程：

步骤	栈	输入串	动作
0	#	$((\underline{a}), \hat{a}, (a)), a\#$	预备
1	#($(\underline{a}), \hat{a}, (a)), a\#$	进
2	#(($(\underline{a}), \hat{a}, (a)), a\#$	进
3	#((($(\underline{a}), \hat{a}, (a)), a\#$	进
4	#(((a	$, a), \hat{a}, (a)), a\#$	进
5	#(((S	$, a), \hat{a}, (a)), a\#$	归
6	#(((T	$, a), \hat{a}, (a)), a\#$	归
7	#(((T,	$a), \hat{a}, (a)), a\#$	进
8	#(((T, a	$, \hat{a}, (a)), a\#$	进
9	#(((T, S	$, \hat{a}, (a)), a\#$	归
10	#(((T	$, \hat{a}, (a)), a\#$	归
11	#(((T)	$, \hat{a}, (a)), a\#$	进
12	#((S	$, \hat{a}, (a)), a\#$	归
13	#((T	$, \hat{a}, (a)), a\#$	归
14	#((T,	$\hat{a}, (a)), a\#$	进
15	#((T, \hat{a}	$, (a)), a\#$	进
16	#((T, S	$, (a)), a\#$	归
17	#((T	$, (a)), a\#$	归

	#((T,	(a)),a)#+	
19	#((T,(a)),a)#+	进	
20	#((T,(a)),a)#+	进	
21	#((T,(S)),a)#+	归	
22	#((T,(T)),a)#+	归	
23	#((T,(T)),a)#+	进	
24	#((T,S),a)#+	归	
25	#((T),a)#+	归	
26	#((T)	,a)#+	进	
27	#(S	,a)#+	归	
28	#(T	,a)#+	归	
29	#(T,	a)#+	进	
30	#(T,a)#+	进	
31	#(T,S)#+	归	
32	#(T)#+	归	
33	#(T)	#	进	
34	#S	#	归	

3

(1)

FIRSTVT(S)= {a, ^, ()}

FIRSTVT(T)= {,, a, ^, ()}

LASTVT(S)= {a, ^, ()}

LASTVT(T)= {,, a, ^, ()}

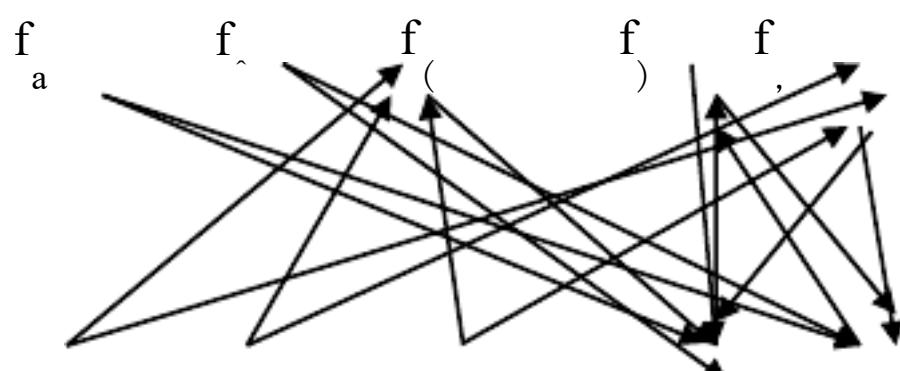
(2)

	a	^	()	,	
a				>	>	
^				>	>	
(<	<	<	=	<	
)				>	>	
,	<	<	<	>	>	

是算符文法，并且是算符优先文法

(3)优先函数

	a	^	()	,	
f	4	4	2	4	4	
g	5	5	5	2	3	



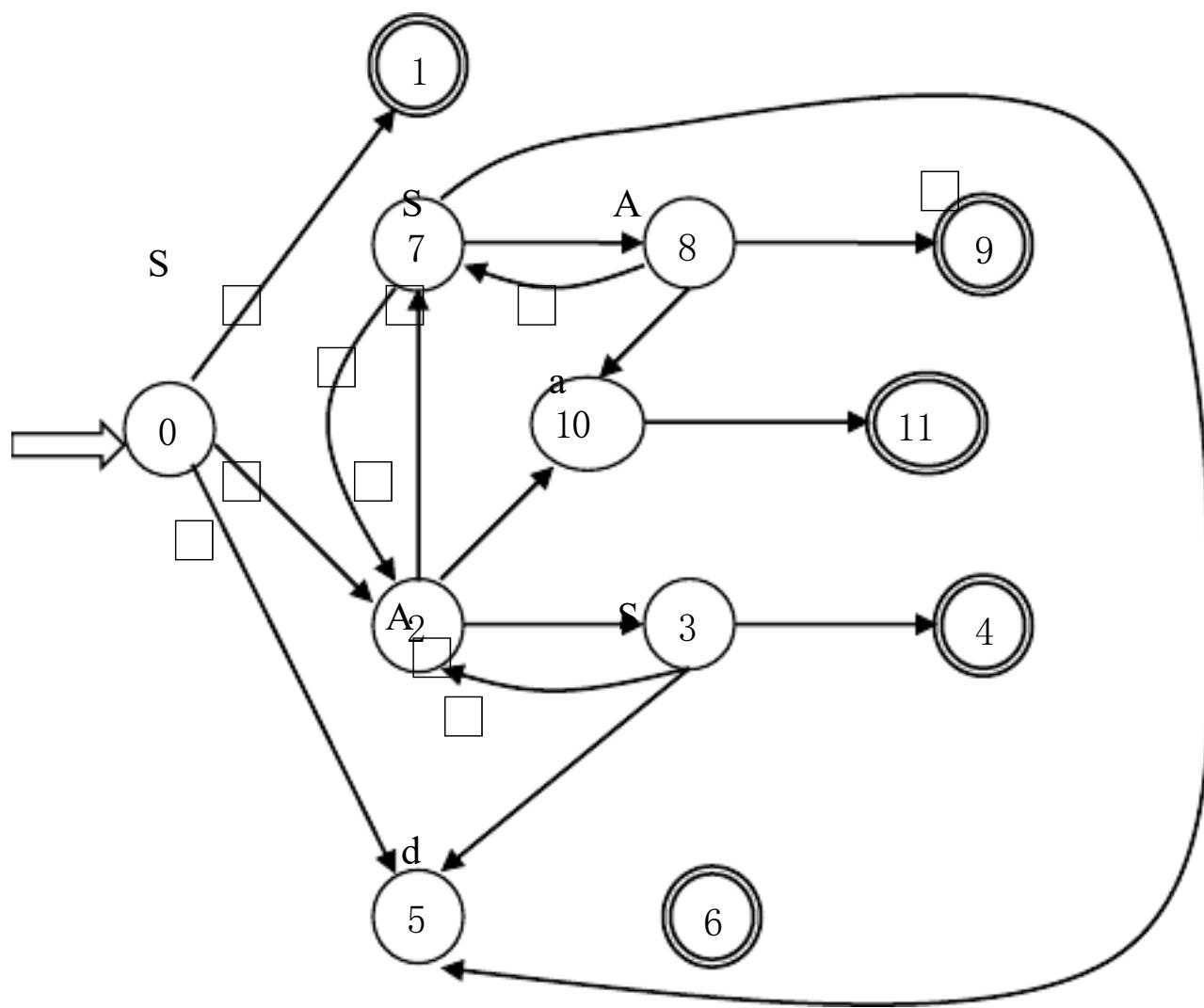
a	g_{\cdot}	$g_{(}$	$g_{)}$	$g_{,}$
4)				
栈	输入字符串			动作
#	(a,(a,a)) #			预备
#(a, (a,a))#			进
#(a	, (a,a))#			进
#(t	, (a,a))#			归
# (t,	(a,a)) #			进
# (t, (a,a)) #			进
# (t, (a	,a)) #			进
# (t, (t	,a)) #			归
# (t, (t,	a)) #			进
# (t, (t,a) #			进
# (t, (t,s) #			归
# (t, (t) #			归
# (t, (t)) #			进
# (t,s) #			归
# (t) #			归
# (t)	#			进
# s	#			归
success				

5

(1)

- 0. S \square \boxed{S}
- 1. $S \square \square S \square$
- 2. $S \square \boxed{AS}$
- 3. $S \square A \boxed{S}$
- 4. $S \square AS \square$
- 5. $S \square \boxed{b}$
- 6. $S \square b \square$
- 7. $A \square \boxed{SA}$
- 8. $A \square S \square \boxed{A}$
- 9. $A \square SA \square$
- 10. $A \square \boxed{a}$
- 11. $A \square a \square$

(2)



以上内容仅为本文档的试下载部分，为可阅读页数的一半内容。如要下载或阅读全文，请访问：<https://d.book118.com/228134033005006024>